

Sampling strategy and related issues

Tom Gardiner
Environmental Measurement Group
National Physical Laboratory, UK

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Background

- Aim of this work is to develop a strategy to assess the options for an appropriate in-situ sampling routine.
- Some work already published in this area, summarises in following slides.
- Go on to describe proposed methodology and get feedback on the key issues to be addressed.

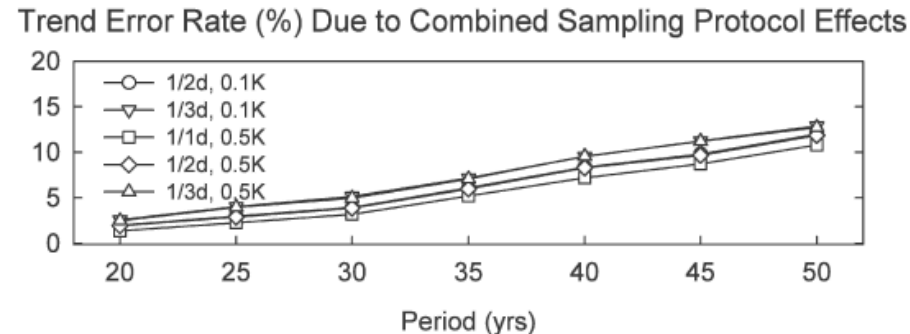
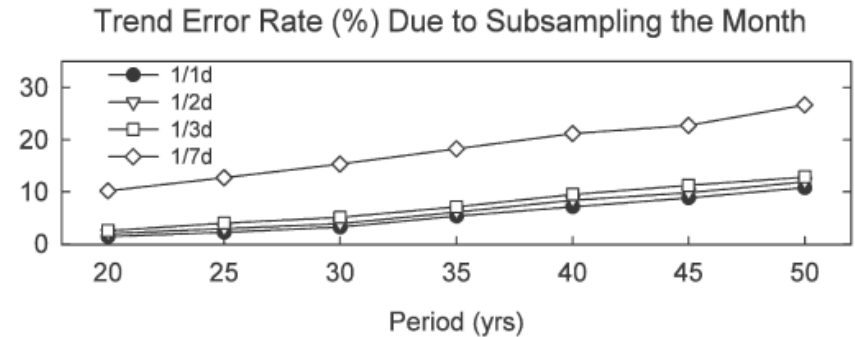
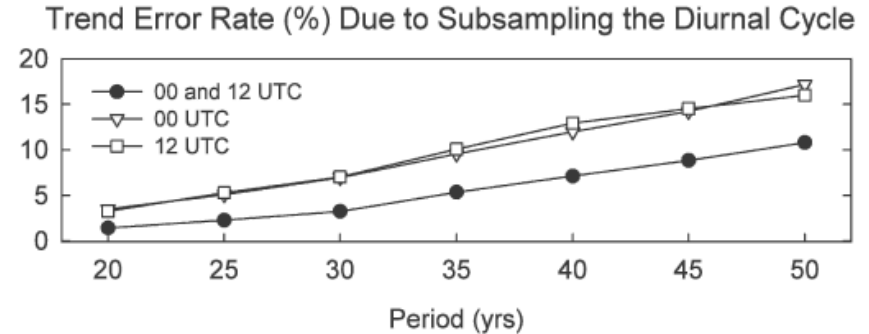
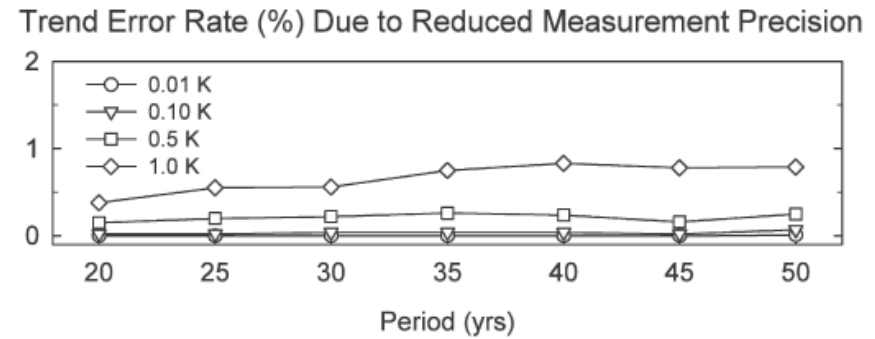
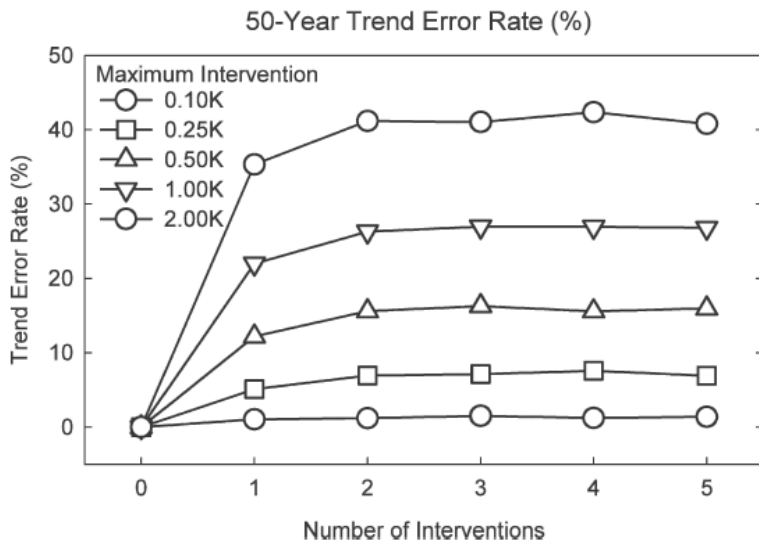
Recent work (I)

- Dian's J. of Climate paper¹ addressed a number of the key sampling questions using the 6 hourly NCEP/NCAR reanalysis data for 1948 to 2003.
- Data was resampled and/or modified according to different sampling strategies, and the resulting trend statistics compared to the 'true' trend results.
- Results were compared for different locations and vertical levels.

1. Seidel and Free, *Journal of Climate*, 19, pp 854-871, 2005

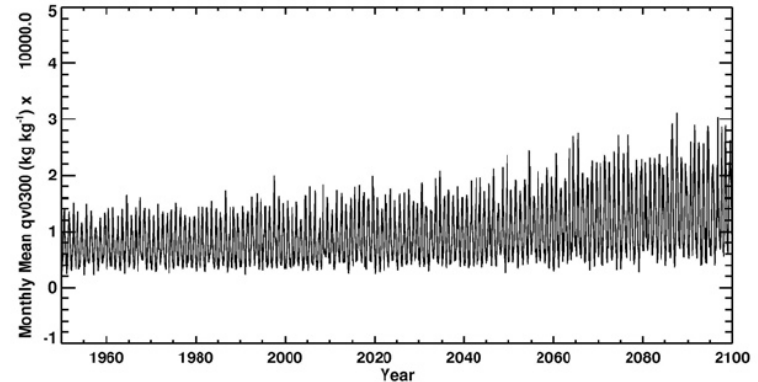
Recent work (II)

- Addressed effects of
 - Measurement Precision
 - Intra-day sampling
 - Intra-month sampling
 - Interventions (bias changes)



Recent work – water vapour requirements

- Reinout has carried out an assessment of the requirements for UT water vapour trend determination, using the output of regional climate models as the base dataset².



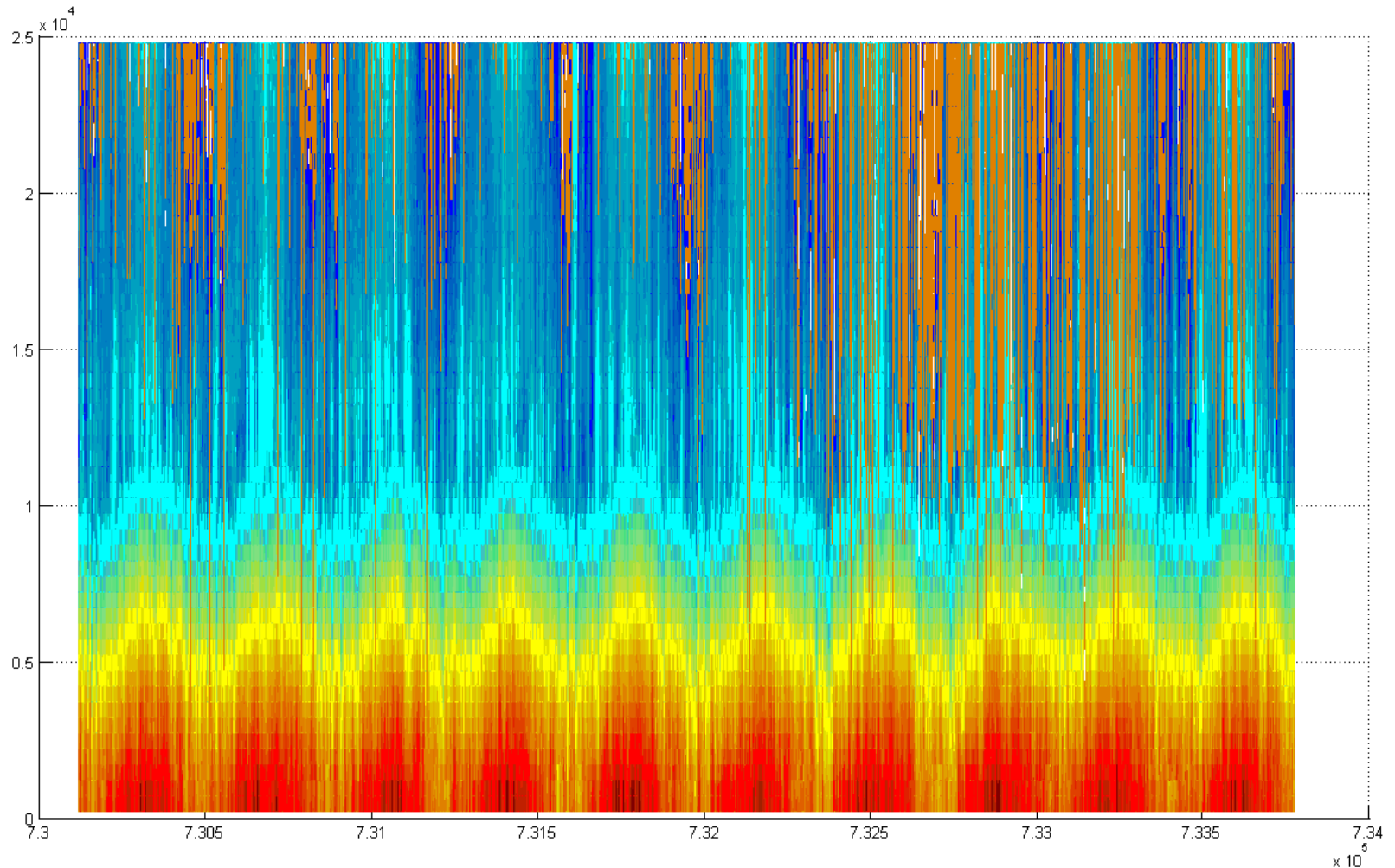
Time series of specific humidity at 300 hPa based on the r3 regional climate simulation

- The main conclusion for sampling was that, with a 10% measurement accuracy, it took 45 years of data at a 4 day sampling rate to determine an observed trend within 30% of the true trend.
- The potential of remote sensing to give a (much) higher data rate was highlighted.

Proposed new assessment strategy

- Model impact of different sampling strategies on trend analyses.
- Use example high density dataset as testcase.
- Use trend analysis tool with appropriate uncertainty determination.
- Resample dataset according to different strategies and look at effect on trend uncertainties.

Lindenburg routine sonde measurements (1999-2008)



Statistical Model for Trend Analysis

The main requirements for an appropriate statistical model are that it should :

- Model the data to take account of the inherent statistical variability.
- Take account of temporal cycles in the data in addition to underlying trends.
- Enable confidence limits to be determined which require no assumptions to be made about the distributions of the measurement uncertainties.
- Be suitable for aggregating data from many sites.
- Standard regression analysis and uncertainties assume normally distributed dataset – almost certainly not the case here.

Bootstrap Resampling (1)

- One statistical method that can be applied in this type of application is bootstrap resampling³.
- A model function F is fitted to the data such that the values for year i are

$$M_{ij} = F(t_{ij}, a, b_j)$$

where t_{ij} is the sample time, a is the underlying trend parameter and b_j are the intra-annual factors (ie $j = 1 \dots 6$ for the 3rd order Fourier Series used here).

- A set of residuals can then be determined by comparing this with the measured values V_{ij}

$$R_{ij} = V_{ij} - M_{ij}$$

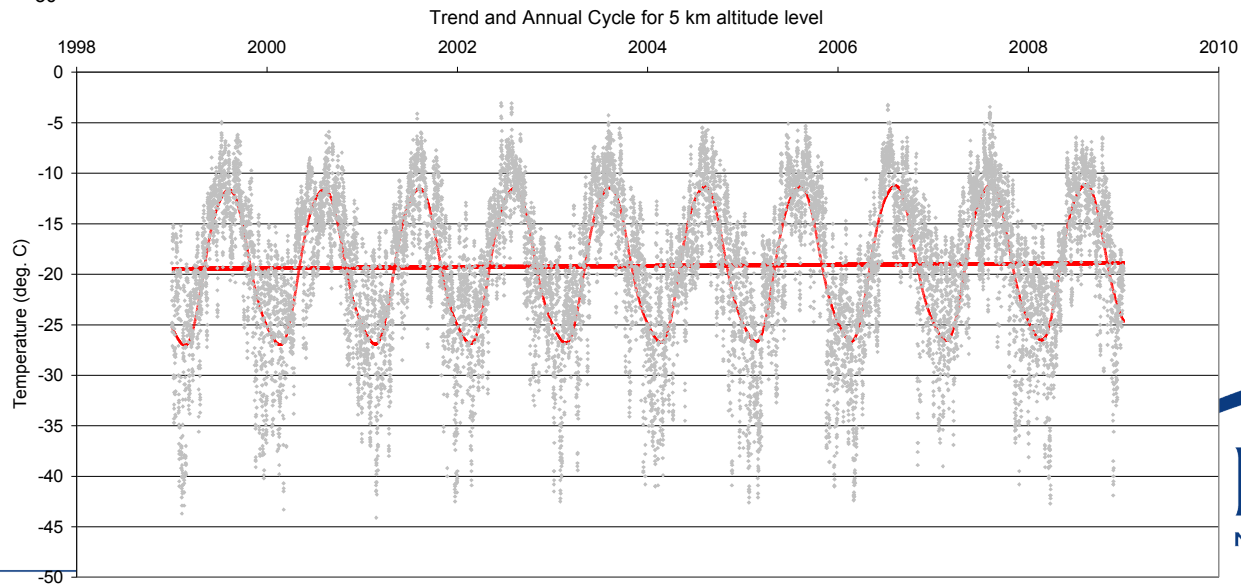
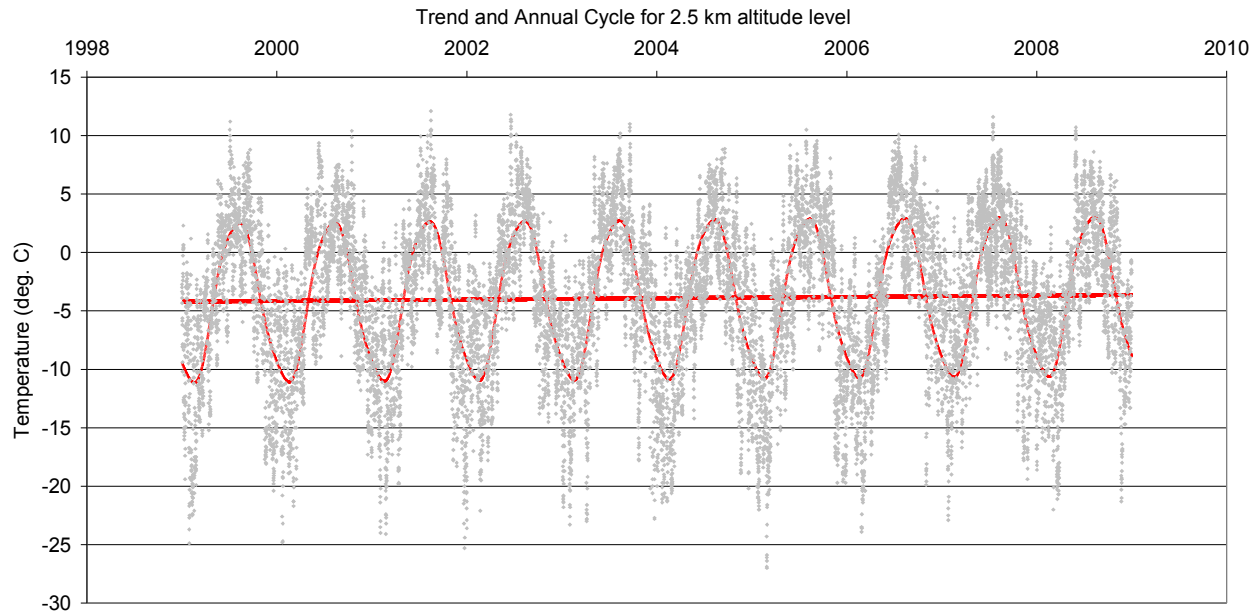
Bootstrap Resampling (2)

- A new set of simulated data , V^+_{ij} , is then created by adding a random sample from the residual data set, R , to each of the model values.

$$V^+_{ij} = M_{ij} + R$$

- We can now compute new values for a and b_j using the original model. By repeating this a large number of times we can build up an approximation of the statistical distributions of a and b_j , and hence get an estimate of the associated confidence limits.
- In this way we may determine the uncertainty associated with any of the model parameters without making any assumptions about the statistical distribution of the residuals.

Example bootstrap trend determinations



Bootstrap analysis results

- For the two examples shown the trend results are as follows :

Level	Trend (deg.C / yr)	95% percentiles	
		Lower	Upper
2.5 km (745 mbar)	5.75×10^{-2}	3.01×10^{-2}	8.41×10^{-2}
5 km (540 mbar)	5.85×10^{-2}	2.84×10^{-2}	8.81×10^{-2}

- Main point to note is not the absolute values, but that the trend is lower than obtained from a regression fit (factor of ~ 3) and the uncertainty is much larger (factor of ~ 12) and more realistic given the dataset.
- Method provides a robust way to assess the uncertainties in trend determination for different sampling strategies.

Possible application of other statistical techniques

- A number of other numerical / statistical techniques are being studied at NPL that may have direct or indirect application to this work.
- One area of interest is the determination of correlation scales in datasets. Possible applications include :
 - Investigating the temporal correlation scale (possibly as an independent route to developing a suitable Model Function).
 - Looking at the vertical correlation scales from profile data to determine appropriate averaging kernels.

Next Steps

- Basic tools in place for sampling strategy assessment.
- Look at effects of different sampling regimes on trend uncertainties – eg daytime only vs nighttime only, reduced sampling densities, others ?
- Consider impact of spatial and temporal correlation lengths on sampling and analysis strategies.
- Look at options for including natural variability on different timescales (ENSO, QBO, etc.), eg through modified model function
- Test conclusions on other measurement datasets and model datasets.
- Carry out similar assessment for water vapour measurements

Outstanding questions

- Is this a suitable approach to address the sampling questions ?
- Other issues drive sampling strategy – funding, existing requirements, other scientific priorities.
- Using existing dataset introduces existing measurement uncertainties (noise and bias) into the analysis.
- Instrumental noise vs atmospheric variability. How important is measurement precision ?
- Bias (changes) most important factor in incorrect trend determination. How best to incorporate this into assessment ?
- Should we create model datasets based on knowledge of measurement uncertainties and natural variability ?
- How to combine with other measurements with different sample rates ?