

Small Scale Variability of Water Vapour in the Atmosphere

Xavier Calbet, AEMET (xcalbeta@aemet.es)

C. Carbajal-Henken, B. Sun, T. Reale, S. DeSouza-Machado

19 November 2021

GRUAN ICM-13

Summary

1. Evidence of small scale WV behaving as a Random Gaussian Field (RGF)
2. Effects in the Radiative Transfer Modelling
3. Test Case
4. Permanent biases in WV IR Remote Sensing WV measurements?
5. Consequences

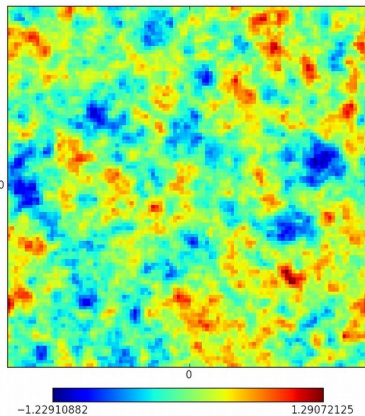
Summary

1. Evidence of small scale WV behaving as a Random Gaussian Field (RGF)
2. Effects in the Radiative Transfer Modelling
3. Test Case
4. Permanent biases in WV IR Remote Sensing WV measurements?
5. Consequences

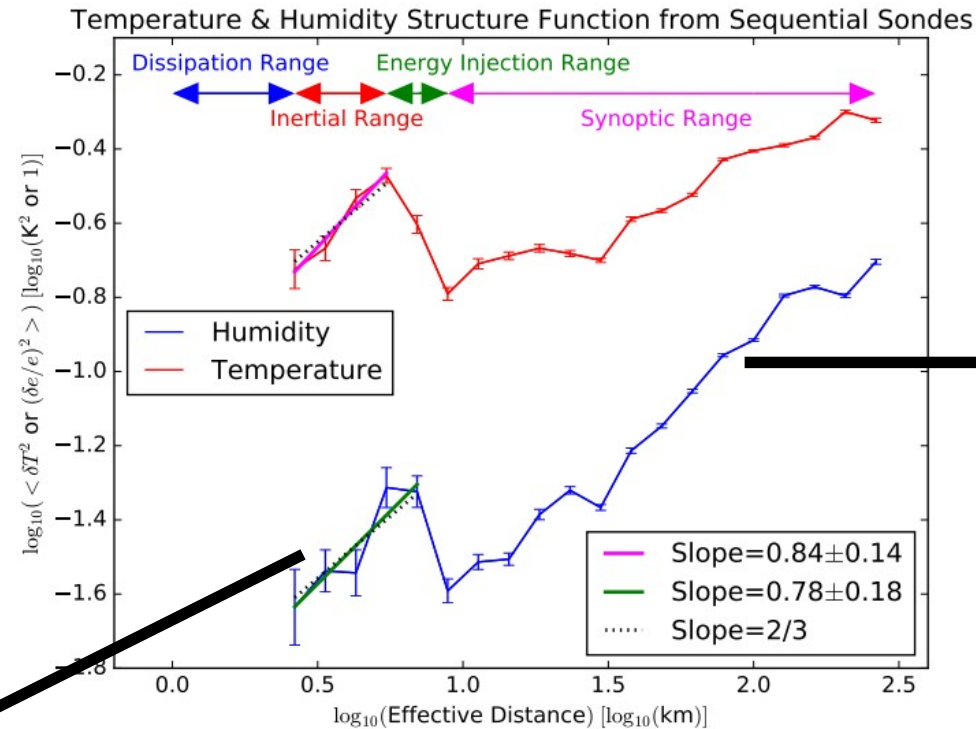
Variability of Water Vapour

Two different scales

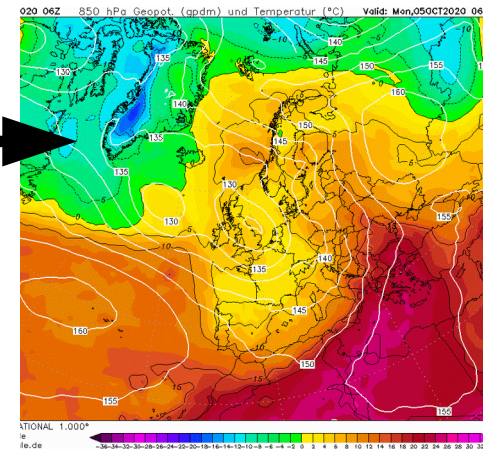
Scales < 6 km
Random
Gaussian Field



Simulation



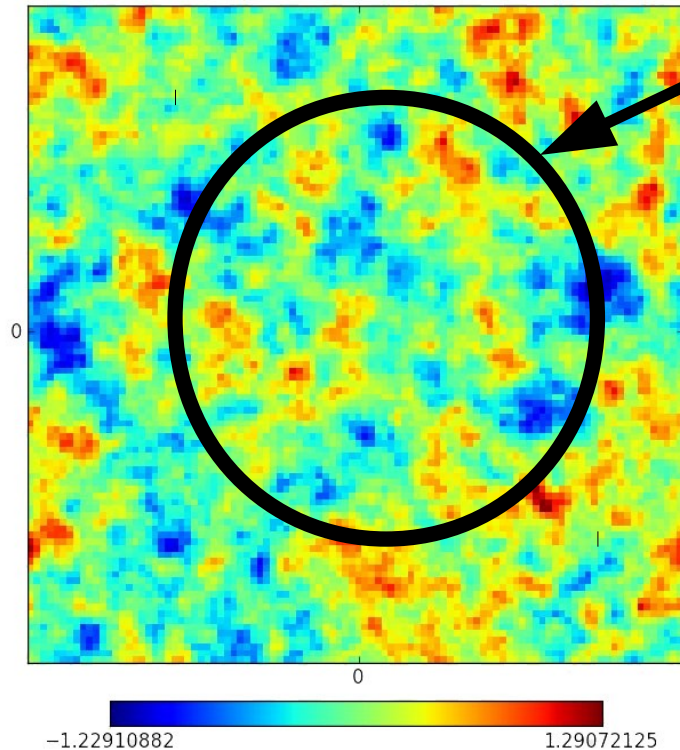
Scales > 10km
Smooth Field



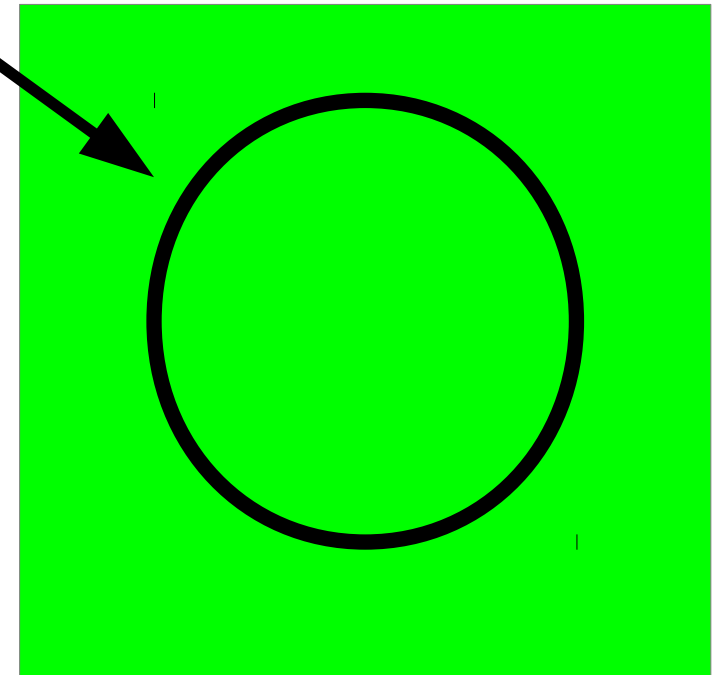
Calbet et al. 2018, AMT

Variability of Water Vapour within FOV

Reality: Scales < 6 km
Random Gaussian Field



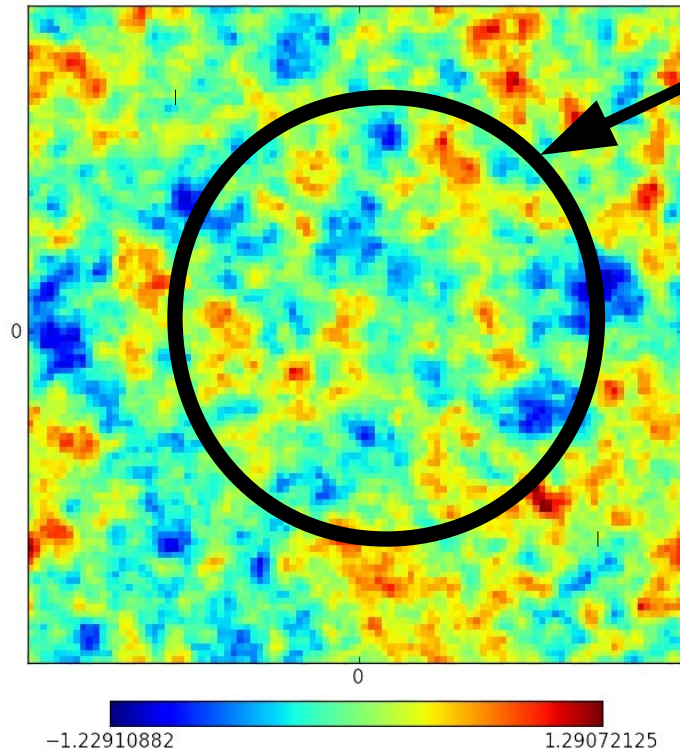
Currently assumed:
Homogeneous Field



FOV

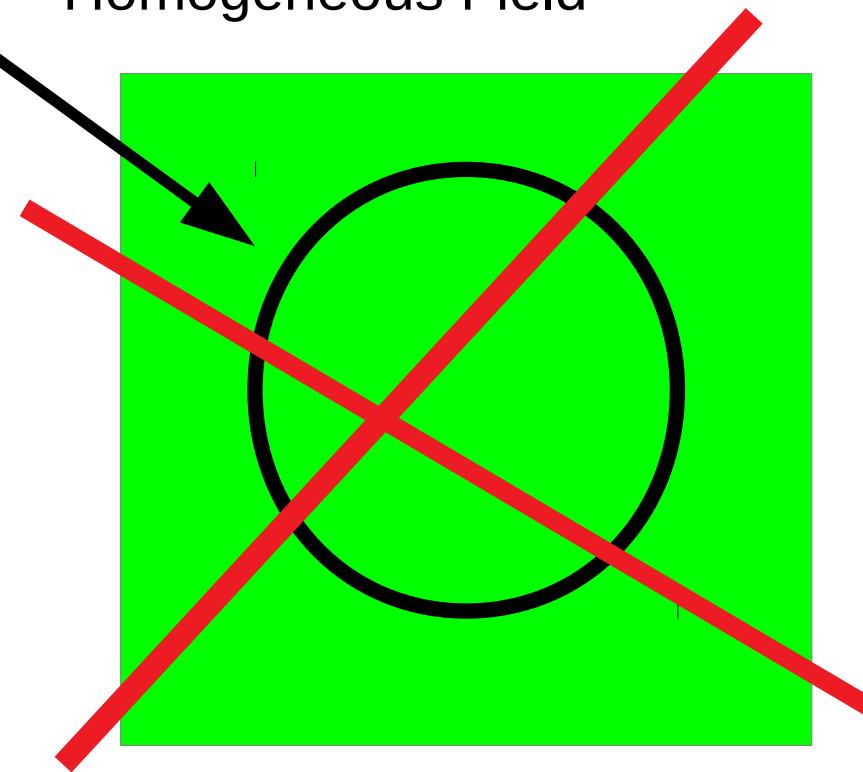
Variability of Water Vapour within FOV

Reality: Scales < 6 km
Random Gaussian Field



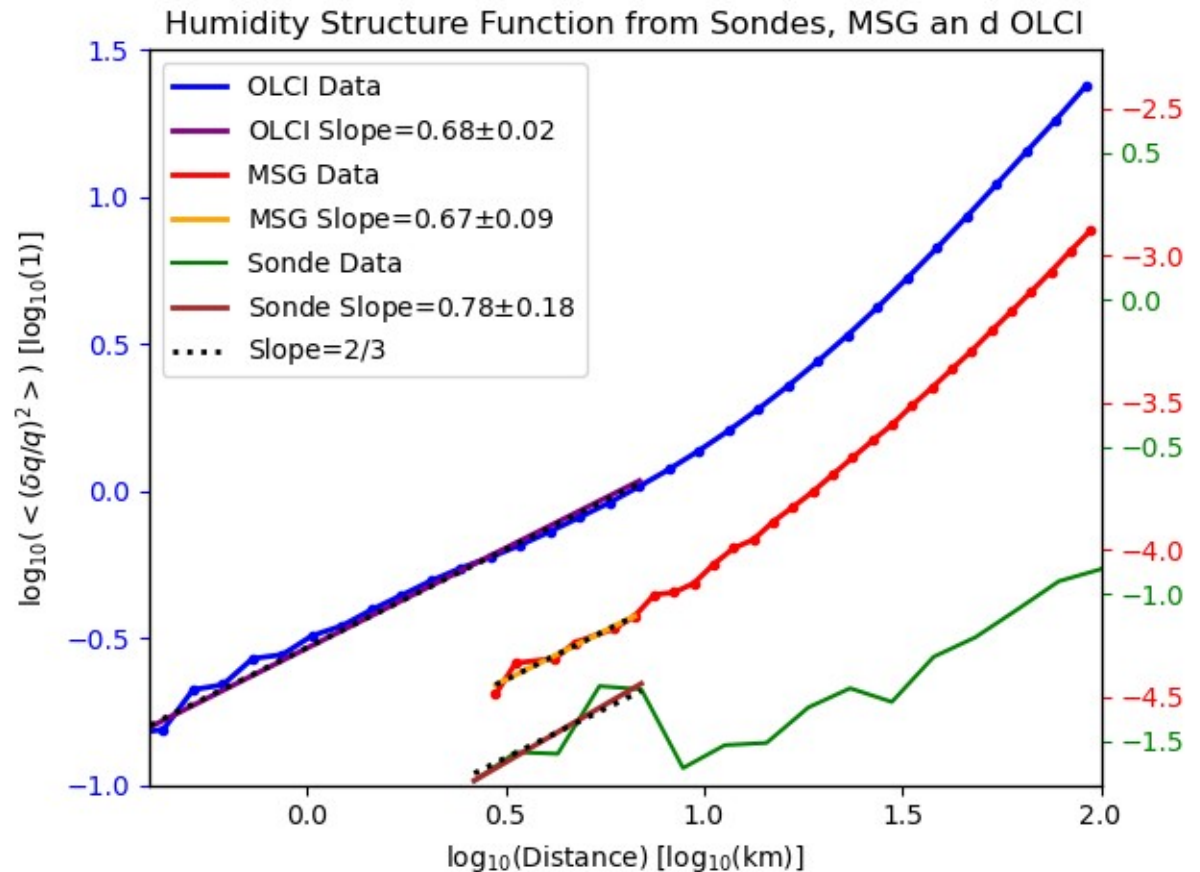
Currently assumed:
Homogeneous Field

FOV



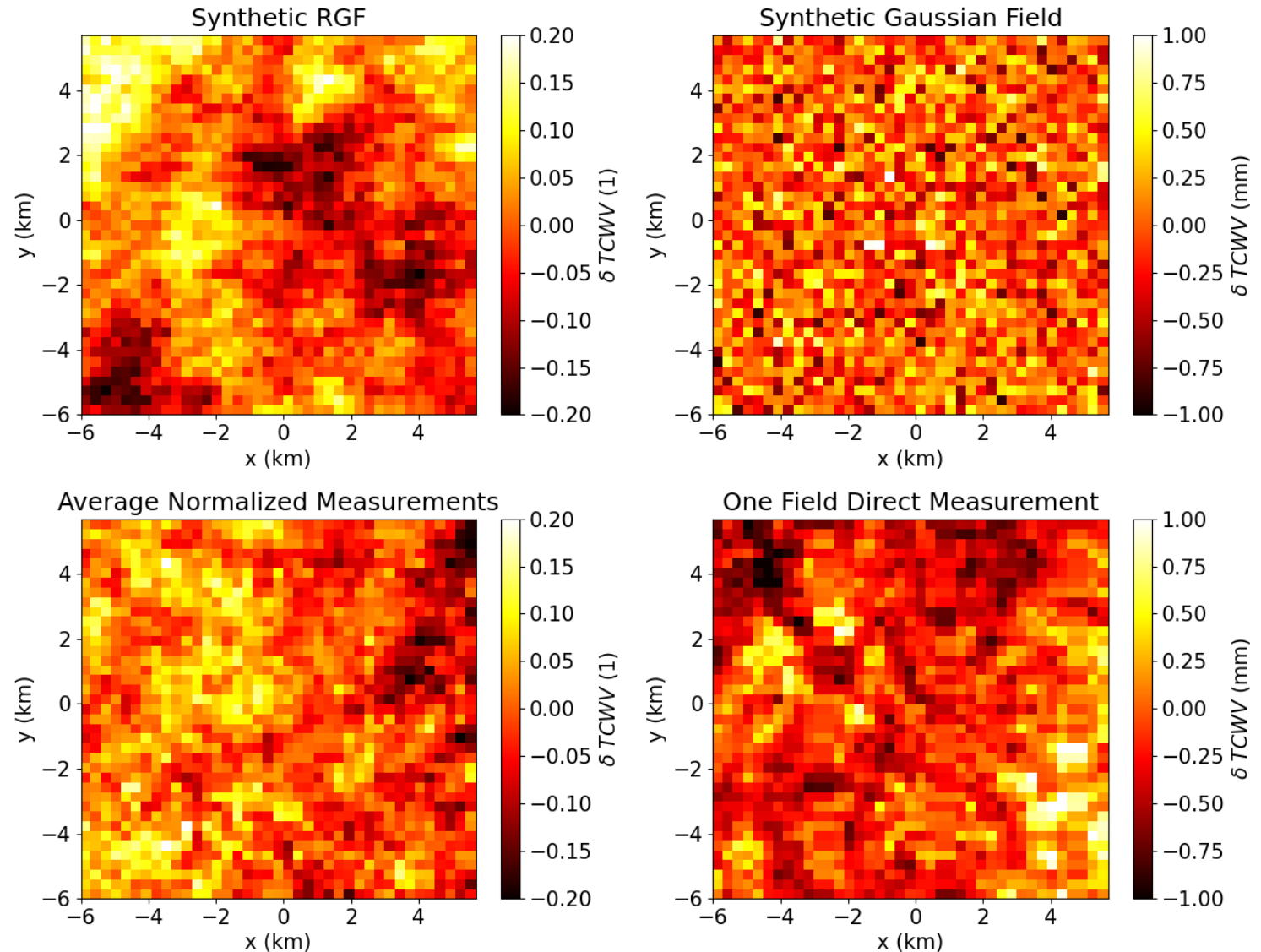
Evidence for WV Random Gaussian Fields at small scales: Structure Function of WV from Sondes, MSG and OLCI

Structure function
confirmed!! →
RGF
useful concept for
practical purposes



Evidence for WV Random Gaussian Fields at small scales: Small scale WV fields from OLCI

Small scale
WV fields
do have the
texture of
RGF

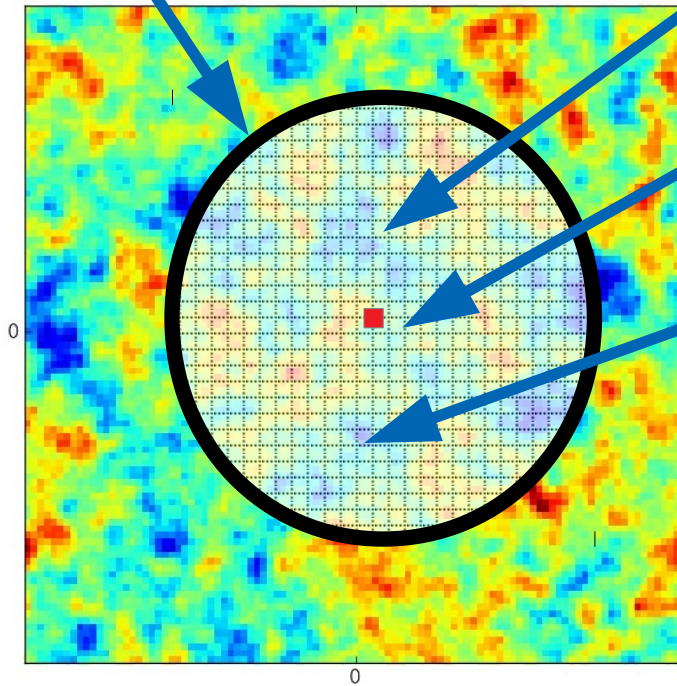


Summary

1. Evidence of small scale WV behaving as a Random Gaussian Field (RGF)
2. Effects in the Radiative Transfer Modelling
3. Test Case
4. Permanent biases in WV IR Remote Sensing WV measurements?
5. Consequences

RTM in an inhomogeneous FOV

FOV



-1.22910882

1.29072125

- Subdividing the FOV in small parcels, we can calculate the radiance R using the RTM at each parcel as a function of the WV profile w :

$$R = \text{RTM}(w)$$

- We now calculate the RTM for a parcel in the center (marked as a red square) which we call w_0 :

$$R_0 = \text{RTM}(w_0)$$

- For all the other parcels, w_j , we assume a Taylor expansion with respect to R_0 is enough:

$$R_j = R_0 + \frac{dR}{dw}(w_j - w_0) + \frac{1}{2} \frac{d^2R}{dw^2}(w_j - w_0)^2$$

- Changing notation by defining: $\delta R_j = R_j - R_0$ and $\delta w_j = w_j - w_0$ we have:

$$\delta R_j = \frac{dR}{dw} \delta w_j + \frac{1}{2} \frac{d^2R}{dw^2} \delta w_j^2$$

- The space sensor will detect the integral, or equivalently, the average of all the radiances. Doing the spatial average, $\langle \rangle$, over the j indices, we get:

$$\langle \delta R \rangle = \frac{dR}{dw} \langle \delta w \rangle + \frac{1}{2} \frac{d^2R}{dw^2} \langle \delta w^2 \rangle$$

- Finally, if we take the effects of all the vertical profile levels, we get the equation from the following slide

RTM in an inhomogeneous FOV

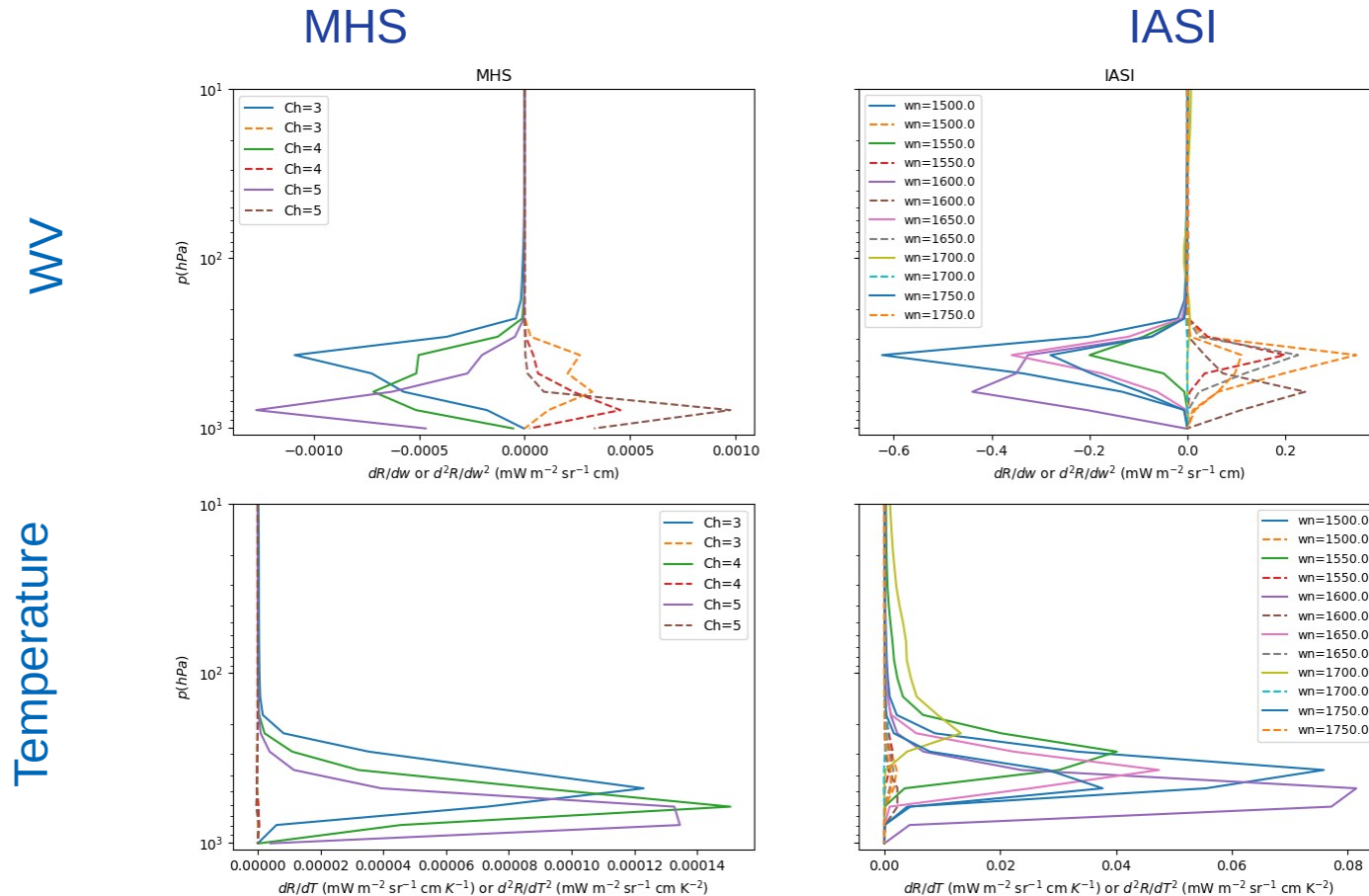
RTM calculation for **an inhomogeneous FOV**, where:

- $\langle \rangle$ means spatial average
- R are radiances
- w is humidity
- i, j are the vertical level indices

$$\langle \delta R \rangle \approx \sum_{i=1}^{All\ Levs} \frac{dR}{dw_i} \langle \delta w_i \rangle + \sum_{i=1}^{All\ Levs} \sum_{j=1}^{All\ Levs} \frac{1}{2} \frac{d^2 R}{dw_i dw_j} \langle \delta w_i \delta w_j \rangle$$

Effect of FOV inhomogeneity

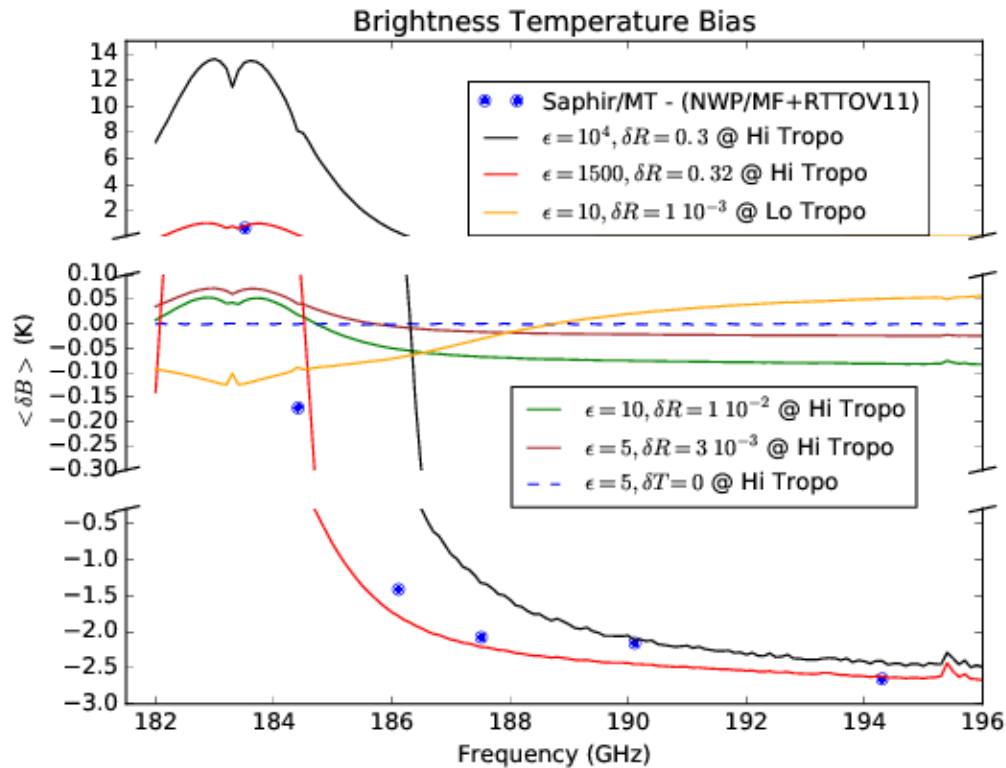
MHS and IASI Jacobians (solid lines) and 2nd Derivatives (dashed lines)



Significant 2nd derivatives for WV!!

Effect of FOV inhomogeneity

Tentative results for MW



Calbet et al. 2018, AMT

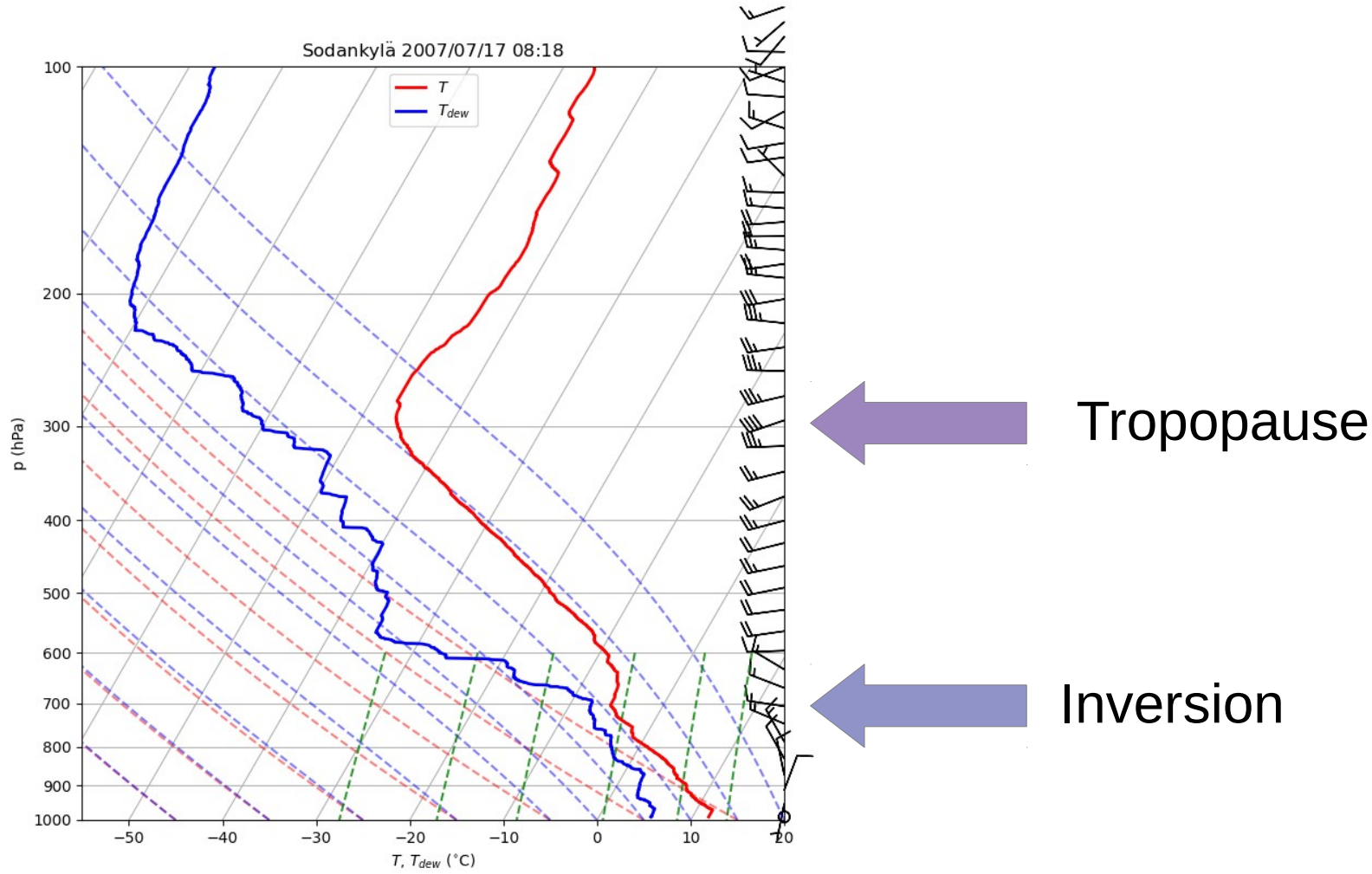
Summary

1. Evidence of small scale WV behaving as a Random Gaussian Field (RGF)
2. Effects in the Radiative Transfer Modelling
- 3. Test Case**
4. Permanent biases in WV IR Remote Sensing WV measurements?
5. Consequences

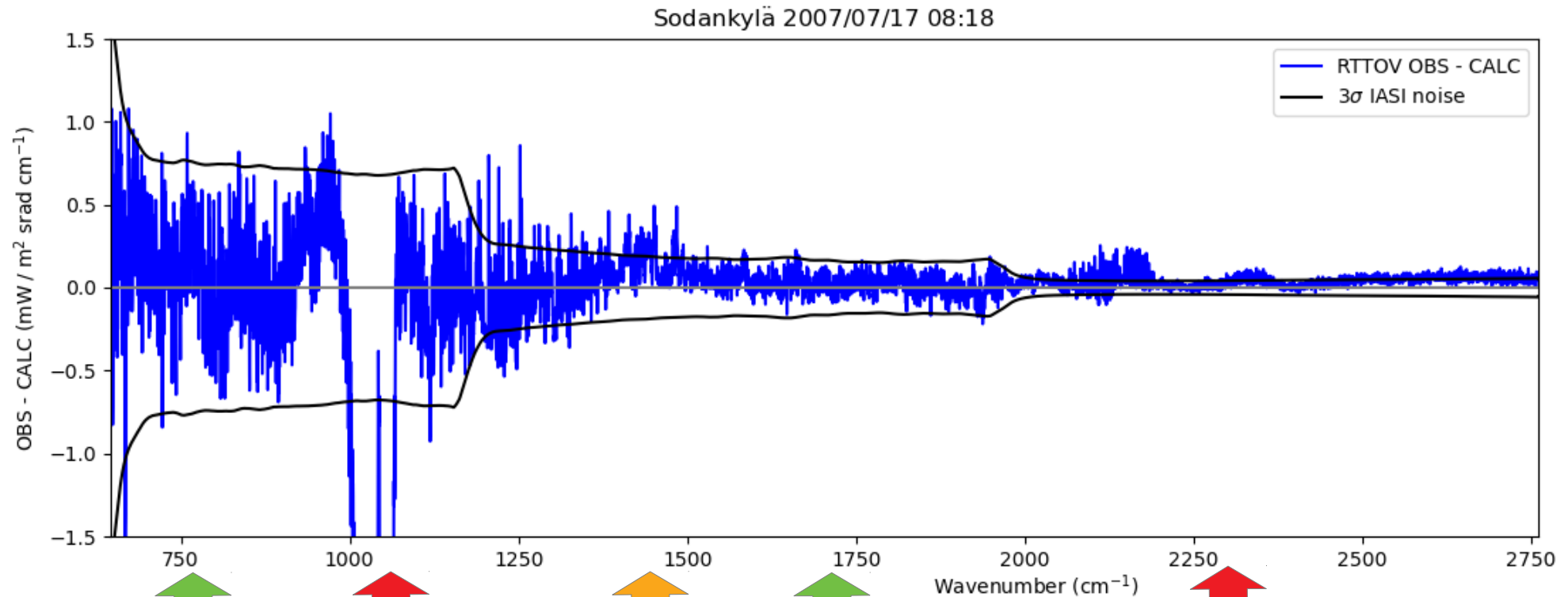
Test Case

- **One well known case** from the EPS/MetOp Campaign (from 2007 described in Calbet et al. 2011, AMT)
- Sequential Sondes with:
 - One CFH + RS92 sonde flown 1 hour before overpass time
 - One RS92 sonde flown 5 minutes before overpass time
- Allowing WV bias correction by comparing CFH versus RS92
- Estimation of the Best State of the Atmosphere (Tobin interpolation)
- In this presentation only IR will be shown. Similar results should be obtained for MW

Test Case: Sonde profile



RTTOV IASI Radiances from Best State Estimate



Good fit in the CO₂ and Window channels

Wrong Ozone profile

Not so good fit in the “low” WV channels

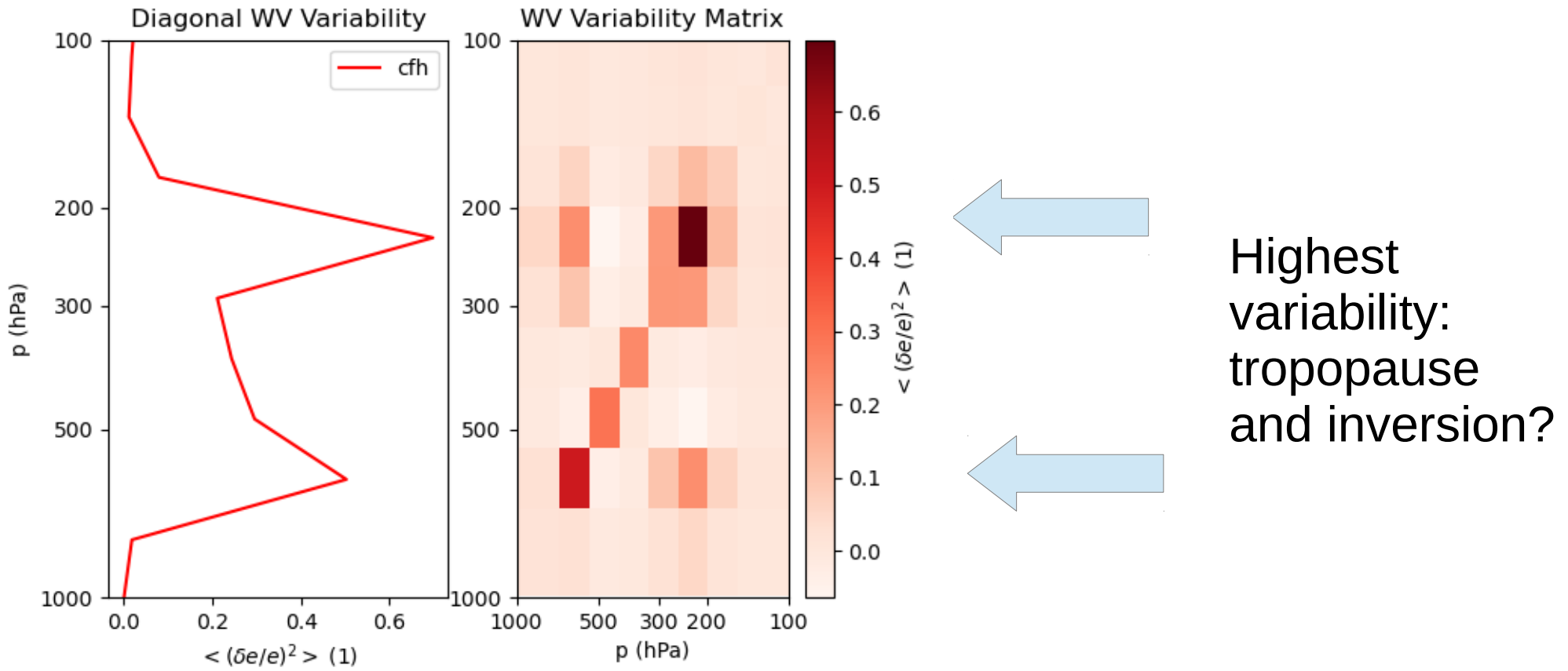
Extremely good fit in the “high” WV channels

Bad fit in the “solar” channels

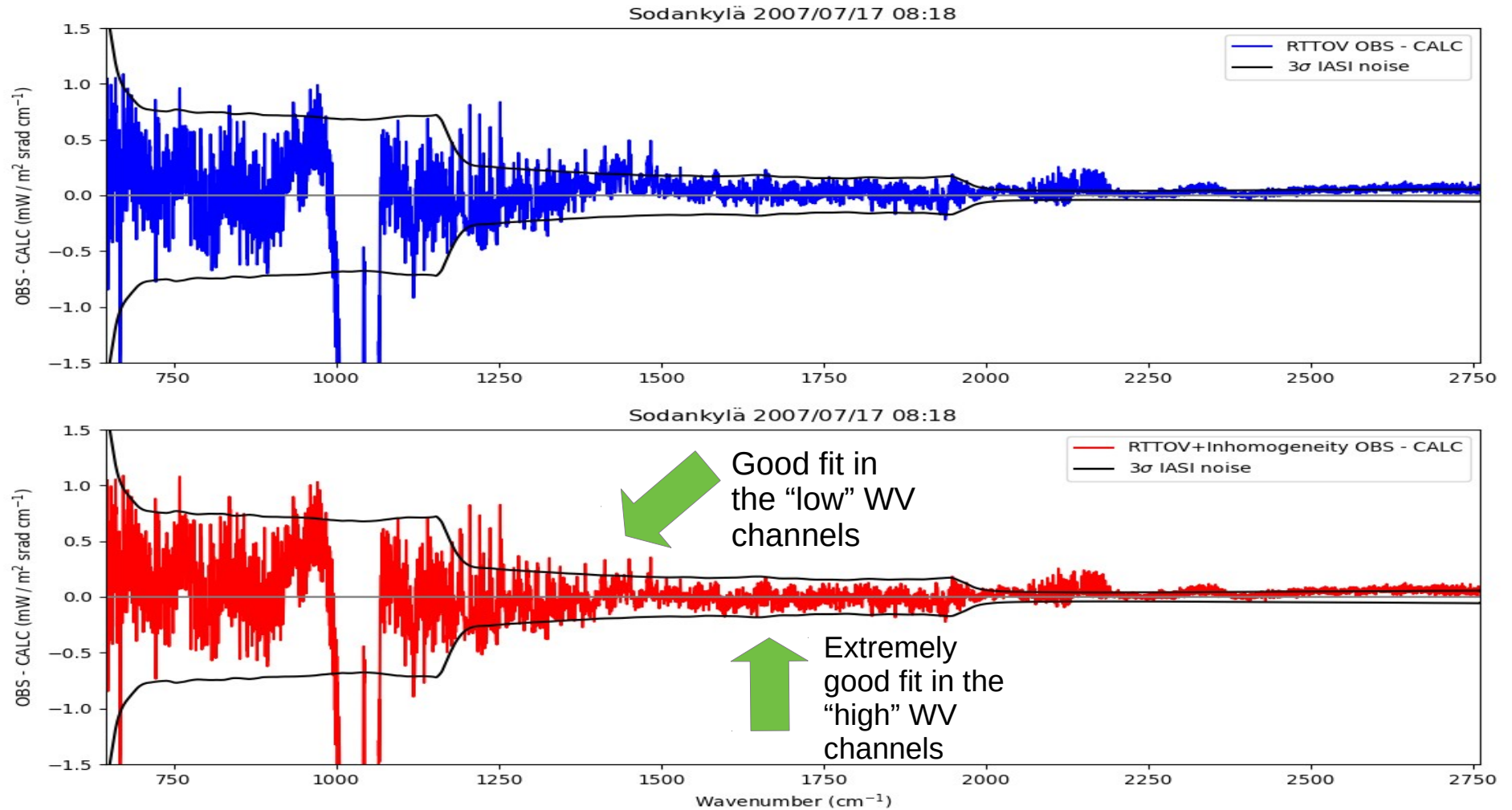
Calbet et al. 2016, AMT;
Sun et al. 2021,
Remote Sensing

WV Variability Matrix

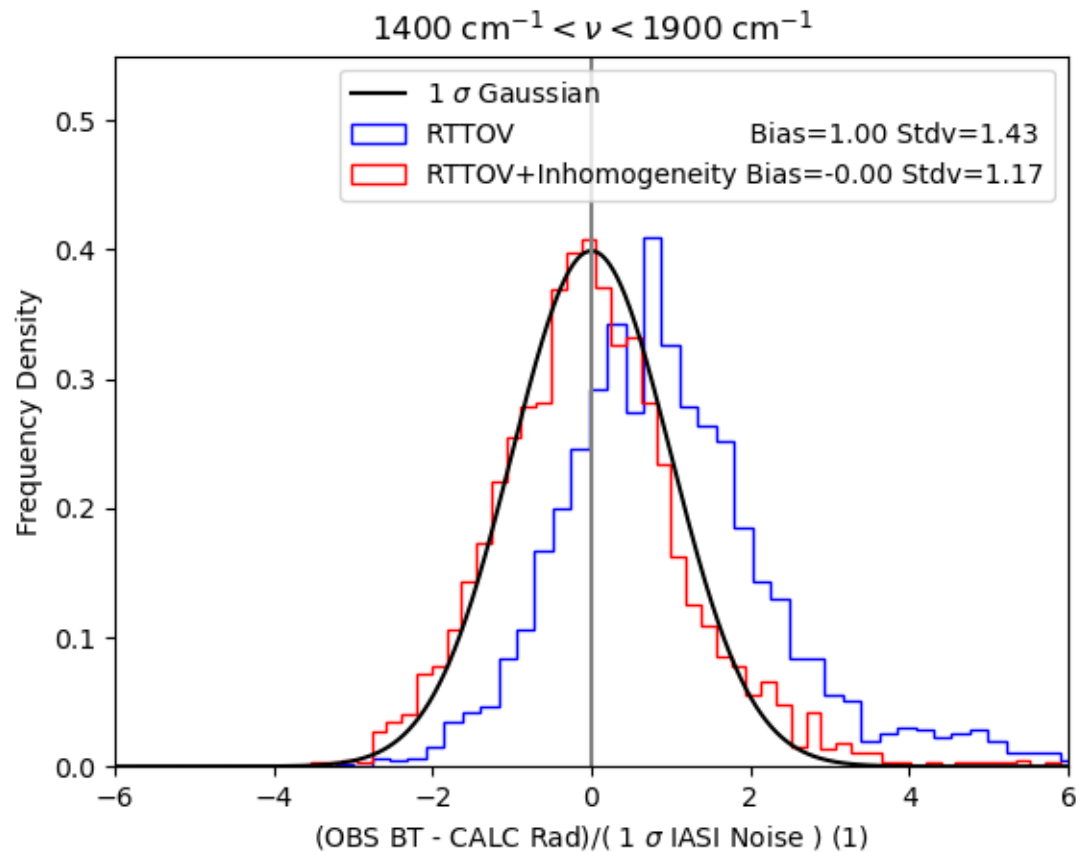
Measured from Sequential Sonde data ← Not Robust!



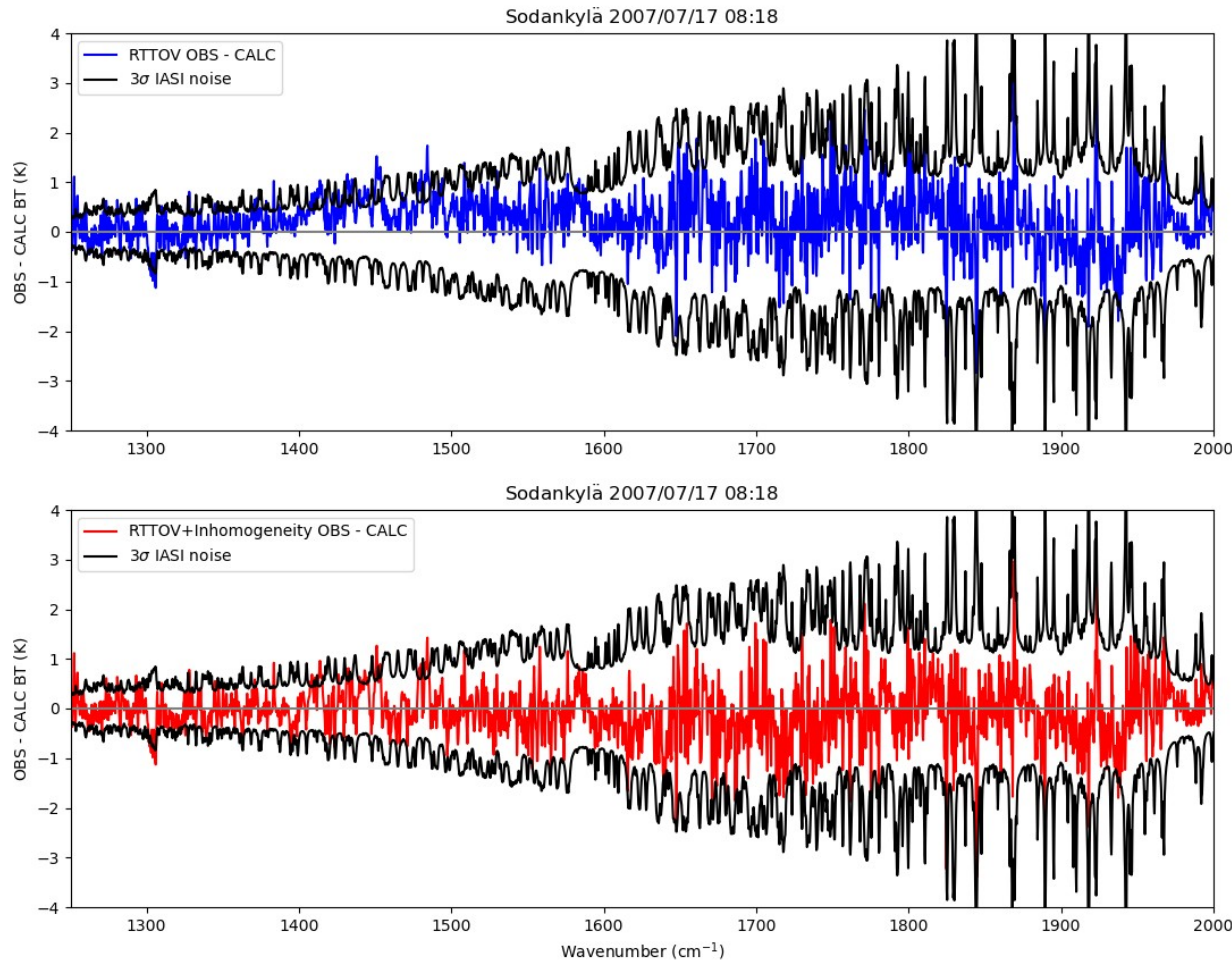
IASI Radiances with and without WV Inhomogeneities



IASI Radiances with and without WV Inhomogeneities

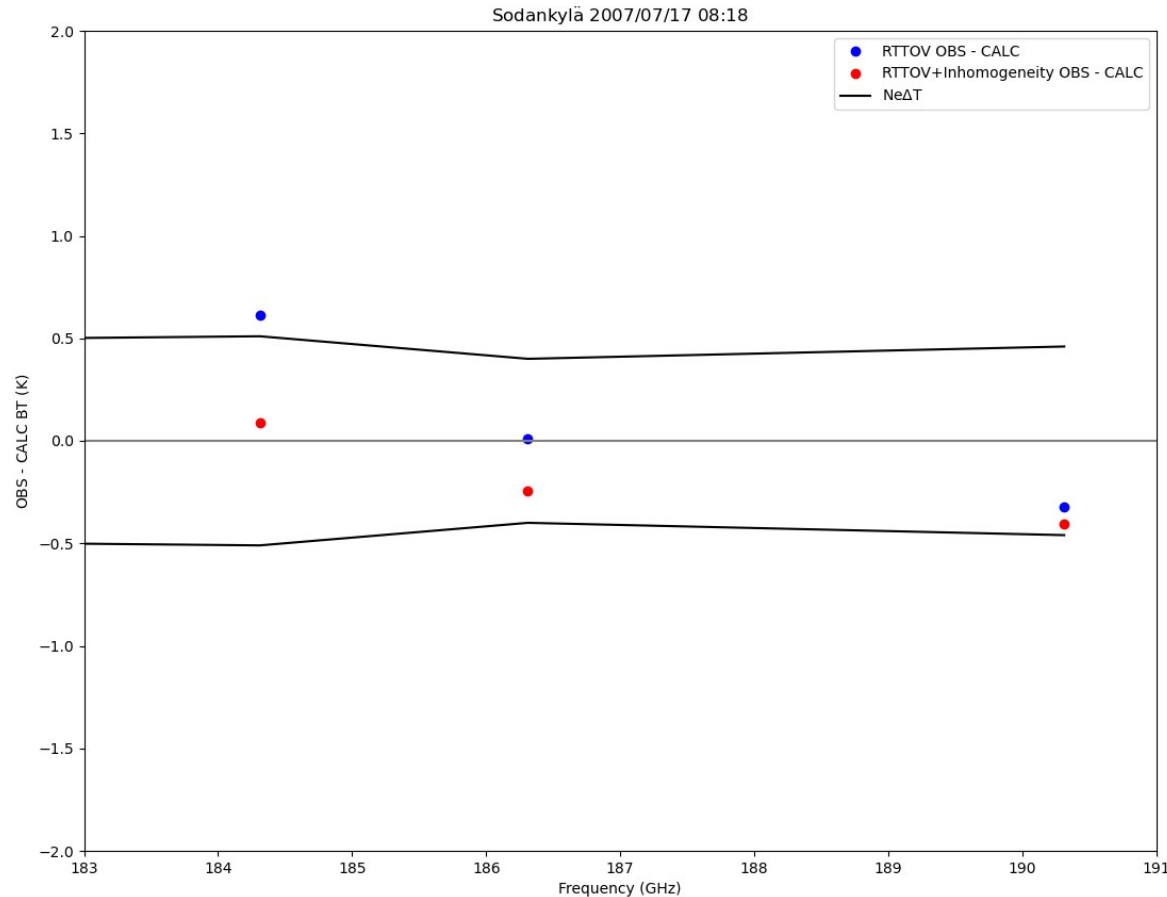


IASI Radiances with and without WV Inhomogeneities



Comparison
in Brightness
Temperature
Space →
Improvement
of around
0.5K

MHS Radiances with and without WV Inhomogeneities



Comparison
in Brightness
Temperature
Space →
Improvement
of around
0.5K

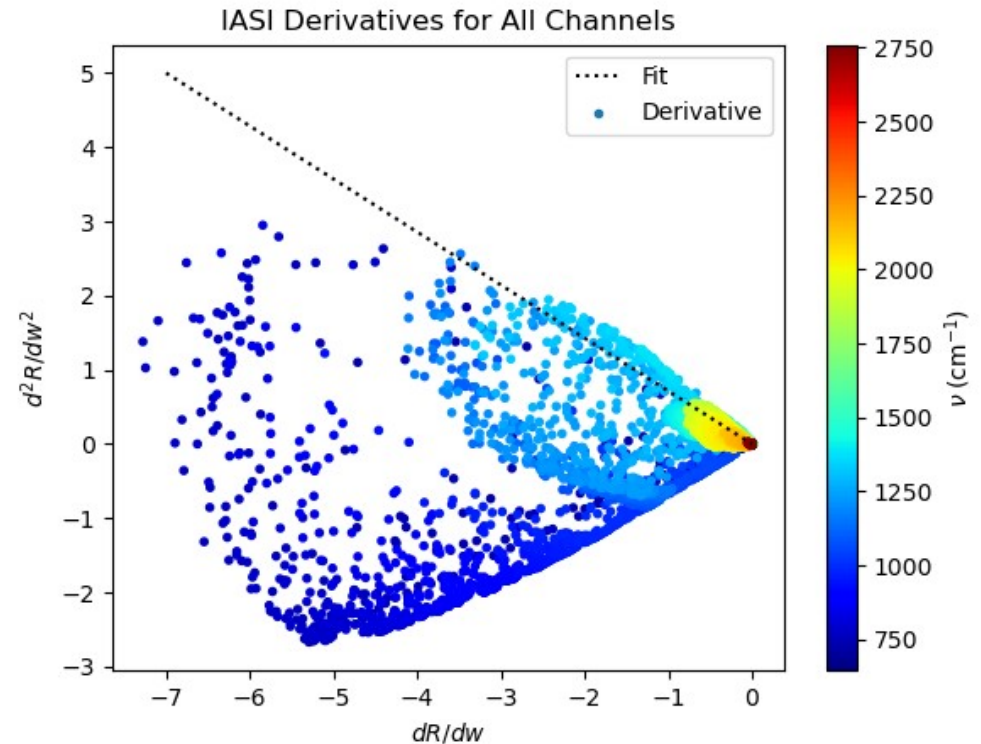
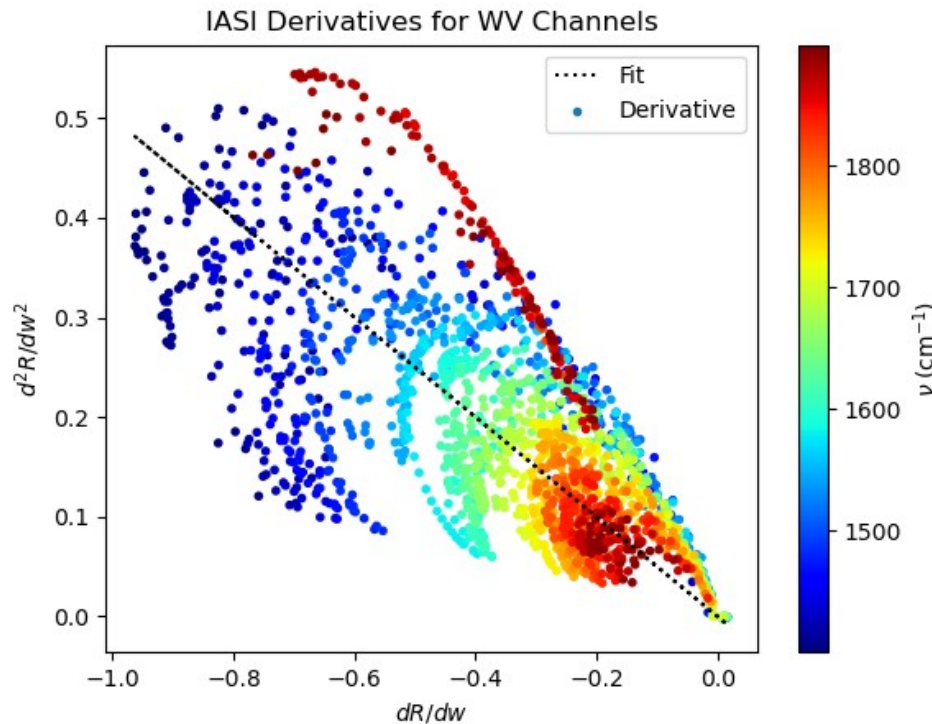
Summary

1. Evidence of small scale WV behaving as a Random Gaussian Field (RGF)
2. Effects in the Radiative Transfer Modelling
3. Test Case
4. Permanent biases in WV IR Remote Sensing WV measurements?
5. Consequences

dR/dw versus d^2R/dw^2

In the WV band, dR/dw is almost linear with $d^2R/dw^2 \rightarrow$

Difficult to retrieve both WV profile and WV inhomogeneity



$$dB/dR \sim -0.5 d^2R/dw^2$$

Turbulence can be mistaken with
WV concentration!!

IASI separating inhomogeneity from WV content

- Retrievals without turbulence, $\langle dw' \rangle$:
 $\langle dR \rangle = dR/dw \langle dw' \rangle$
- Retrievals with turbulence, $\langle dw \rangle$:
 $\langle dR \rangle = dR/dw \langle dw \rangle + \frac{1}{2} d^2R/dw^2 \langle dw^2 \rangle \sim$
 $dR/dw \langle dw \rangle - \frac{1}{2} * 0.5 dR/dw \langle dw^2 \rangle =$
 $dR/dw \{ \langle dw \rangle - 0.25 * \langle dw^2 \rangle \}$
- Equating both results:
 $\langle dw \rangle \sim \langle dw' \rangle + 0.25 * \langle dw^2 \rangle \rightarrow \langle dw \rangle$ greater than $\langle dw' \rangle$

IR Remote Sensing WV concentration is perhaps always underestimated!!
Consistent with Carbajal-Henken, 2020, Remote Sensing

Instrument	N	Bias	RMSE	Std	Mean (x)	Mean (y)	R	Slope	Intercept
IASI	88336	-1.77 ± 0.006	2.74	2.09	16.17	14.40	0.959	0.866 ± 0.001	0.387 ± 0.015
MIRS	41948	1.36 ± 0.016	3.77	3.50	15.98	17.36	0.881	0.807 ± 0.002	4.453 ± 0.037
MODIS	17438	1.11 ± 0.021	3.11	2.91	16.18	17.28	0.959	1.117 ± 0.003	-0.781 ± 0.046
MODIS-FUB	17437	-0.31 ± 0.019	2.52	2.50	16.18	15.87	0.955	0.967 ± 0.002	0.226 ± 0.041

Summary

1. Evidence of small scale WV behaving as a Random Gaussian Field (RGF)
2. Effects in the Radiative Transfer Modelling
3. Test Case
4. Permanent biases in WV IR Remote Sensing WV measurements?
5. Consequences

Consequences of WV RGF behaviour

- Instruments with a **large FOV** (several km) will notice this effect
- Inhomogeneities can be **mistaken** for WV concentrations → **Biases** in the observations
- Point WV measurements in the atmosphere (sondes, etc.) will be **different** if taken in different space/time positions just due to turbulent effects
- These **biases** could be “**permanent**” for some instruments → permanent biases in the measurements (RO?, GNSS?) → Need to check whether **non-linear** effects are important → Size of **second derivative**